



# Introduction to Aerospace Propulsion

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Lecture No - 6



## In this lecture ...

- Specific heat
  - At constant pressure and constant volume
- Heat transfer
  - Meaning of heat transfer
  - Types of heat transfer
- Work
  - Thermodynamic meaning of work
  - Different types of work

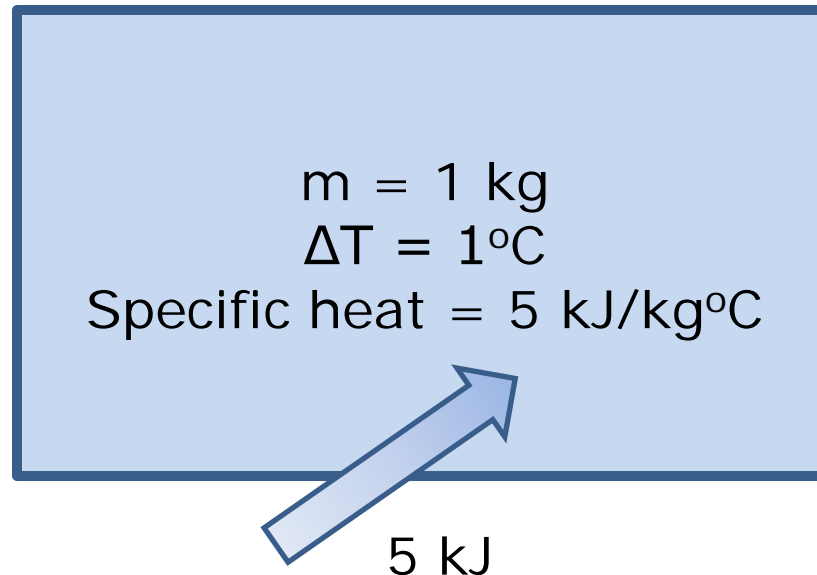
## Specific heats

- It takes different amounts of energy to raise the temperature of identical masses of different substances by one degree.
- Therefore, it is desirable to have a property that will enable us to compare the energy storage capabilities of various substances.
- This property is the **specific heat**.

## Specific heats

- Specific heat is defined as the energy required to raise the temperature of a unit mass of a substance by one degree.
- In general, this energy depends on how the process is executed.
- There are two kinds of specific heats: specific heat at constant volume,  $c_v$  and specific heat at constant pressure,  $c_p$ .

## Specific heats



Specific heat is the energy required to raise the temperature of a unit mass of a substance by one degree in a specified way.

## Specific heat at constant volume

- Consider a fixed mass in a stationary closed system undergoing a constant-volume process
- The conservation of energy principle for this process can be expressed in the differential form as

$$\delta e_{in} - \delta e_{out} = du$$

## Specific heat at constant volume

- The left-hand side of this equation represents the net amount of energy transferred to the system.
- Thus,

$$c_v dT = du \quad \text{at constant volume}$$

$$\text{or, } c_v = \left( \frac{\partial u}{\partial T} \right)_v$$

## Specific heat at constant pressure

- Similarly, an expression for the specific heat at constant pressure,  $c_p$  can be obtained by considering a constant-pressure expansion or compression process.
- It yields,

$$c_p dT = dh \quad \text{at constant pressure}$$

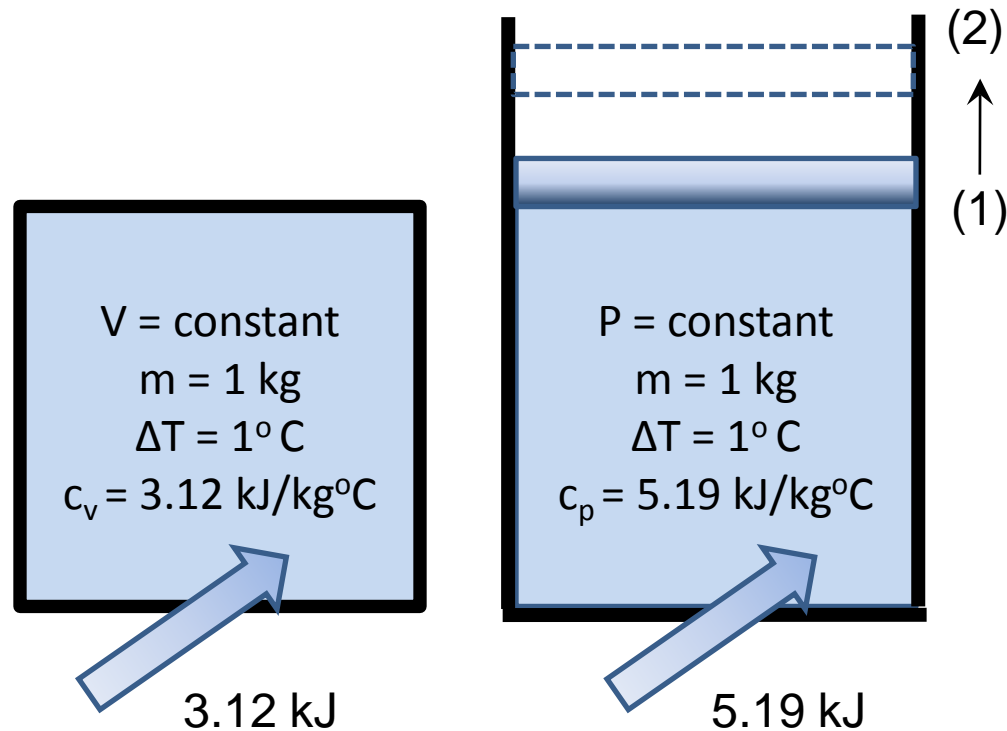
$$\text{or, } c_p = \left( \frac{\partial h}{\partial T} \right)_p$$



## Specific heats

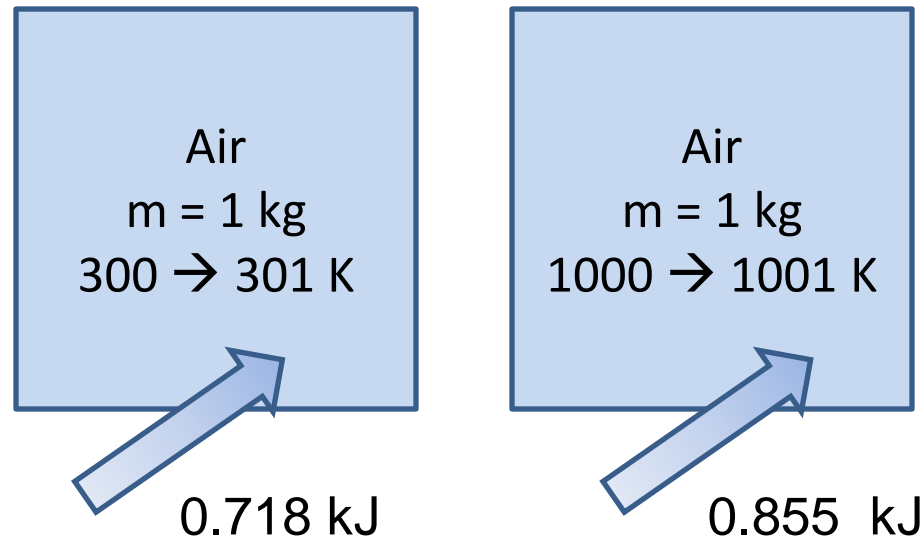
- $c_p$  and  $c_v$  are properties of a system.
- Are valid for any processes
- $c_p$  is always  $> c_v$ 
  - Because at constant pressure the system is allowed to expand and the energy for the expansion must also be supplied
- Specific heat of a substance change with temperature.

### Specific heats



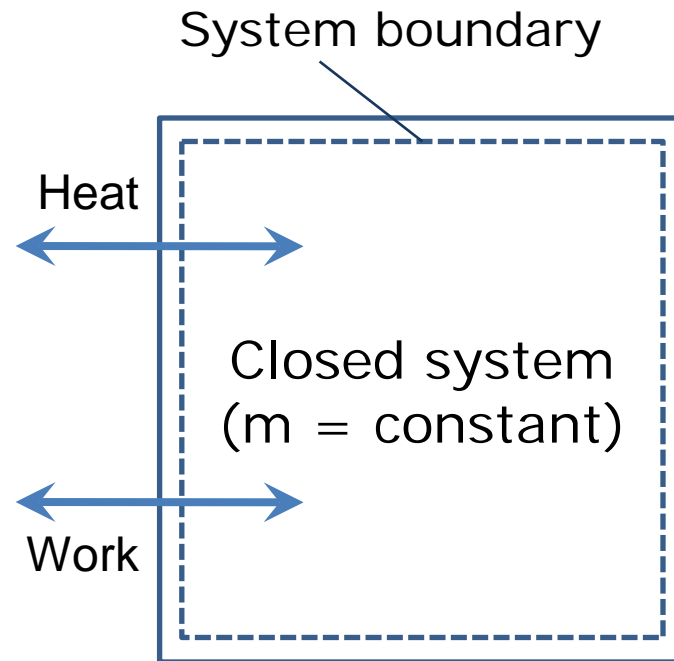
$c_p$  is always  $>$   $c_v$

## Specific heats



The specific heat of a substance changes with temperature.

# Energy transfer mechanisms

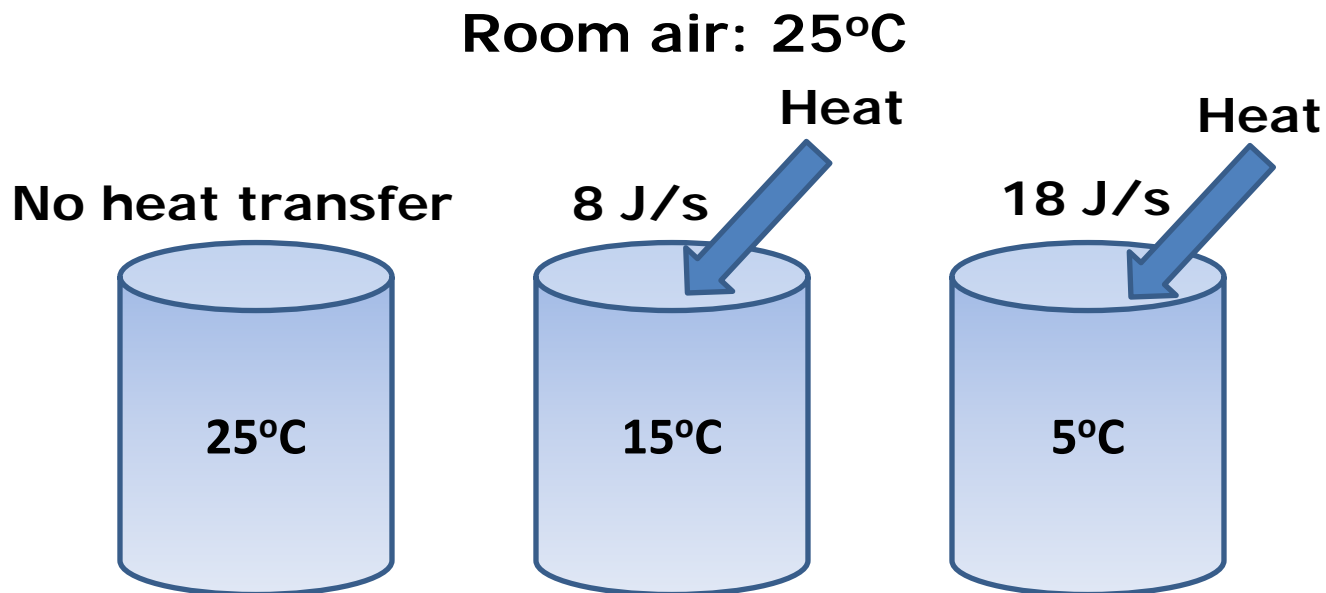


Energy can cross the system boundaries of a closed system: heat and work

## Energy transfer by heat

- **Heat:** the form of energy that is transferred between two systems (or a system and its surroundings) by virtue of a temperature difference.
- Energy interaction is heat only if it takes place by virtue of temperature difference.
- Heat is energy in transition; it is recognised only as it crosses the system boundary.

# Energy transfer by heat

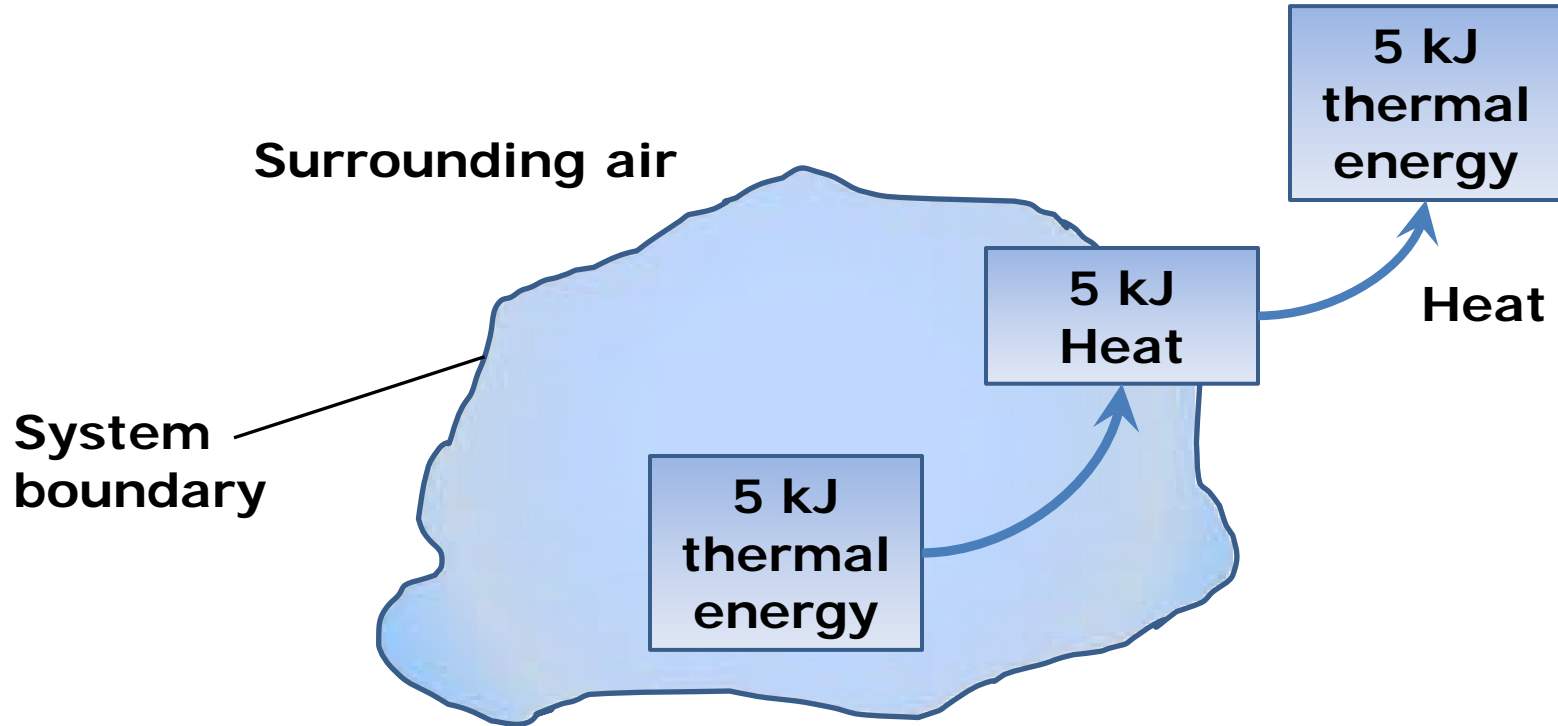


Temperature difference is the driving force for heat transfer. The larger the temperature difference, the higher is the rate of heat transfer.

## Energy transfer by heat

- In thermodynamics, heat refers to heat transfer.
- A process during which there is no heat transfer is called **Adiabatic process**.
- Heat transfer mechanisms:
  - Conduction
  - Convection
  - Radiation

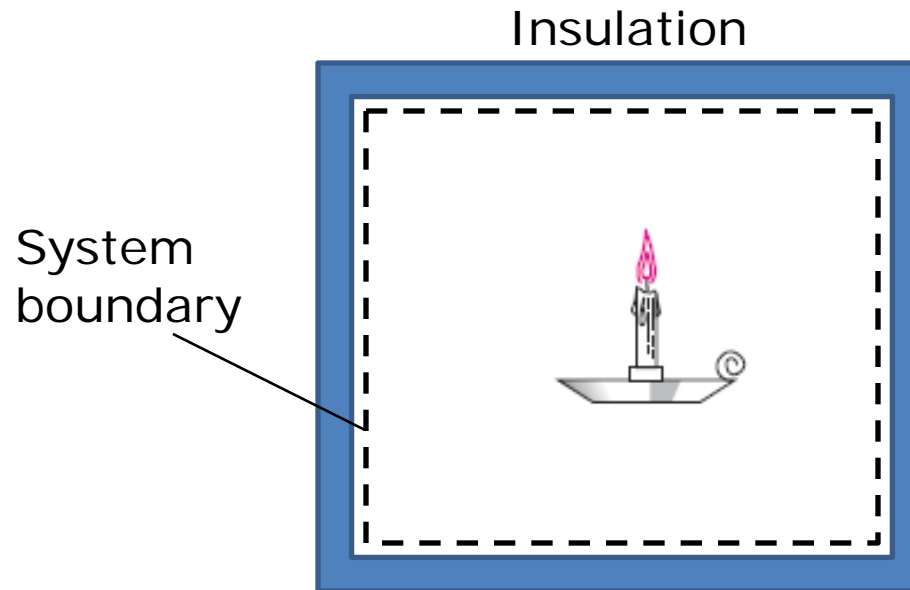
### Energy transfer by heat



Energy is recognized as heat transfer only as it crosses the system boundary.



## Energy transfer by heat

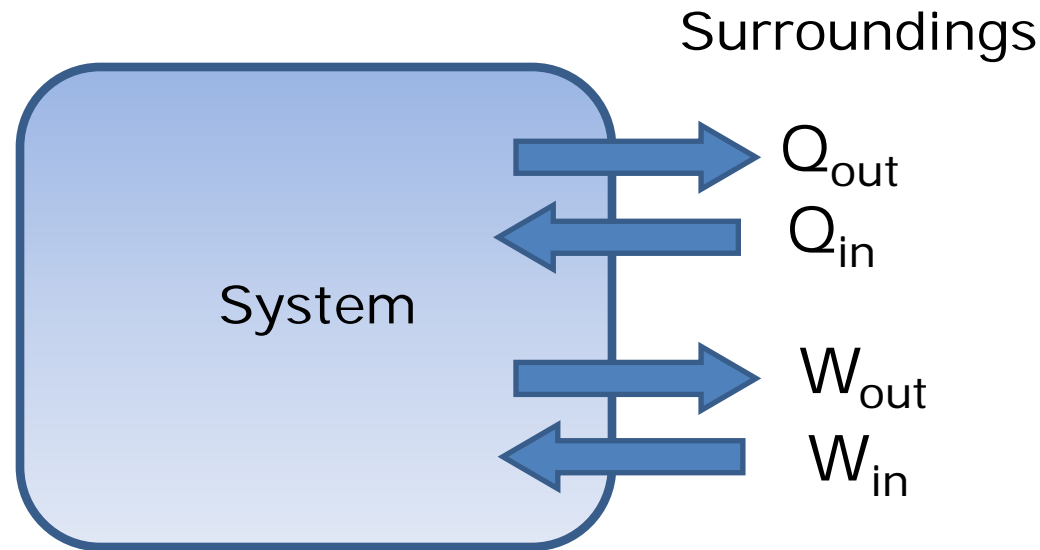


- Qn. Is there is any heat transfer during this burning process?
- Qn. Is there is any change in the internal energy of the system?

## Energy transfer by work

- Any energy interaction of a closed system other than heat is **work**.
- An energy interaction that is not caused by a temperature difference between a system and its surroundings is work.
- **Work is the energy transfer associated with a force acting through a distance.**

## Sign conventions



- Heat transfer to a system and work done by a system are positive; heat transfer from a system and work done on a system are negative.

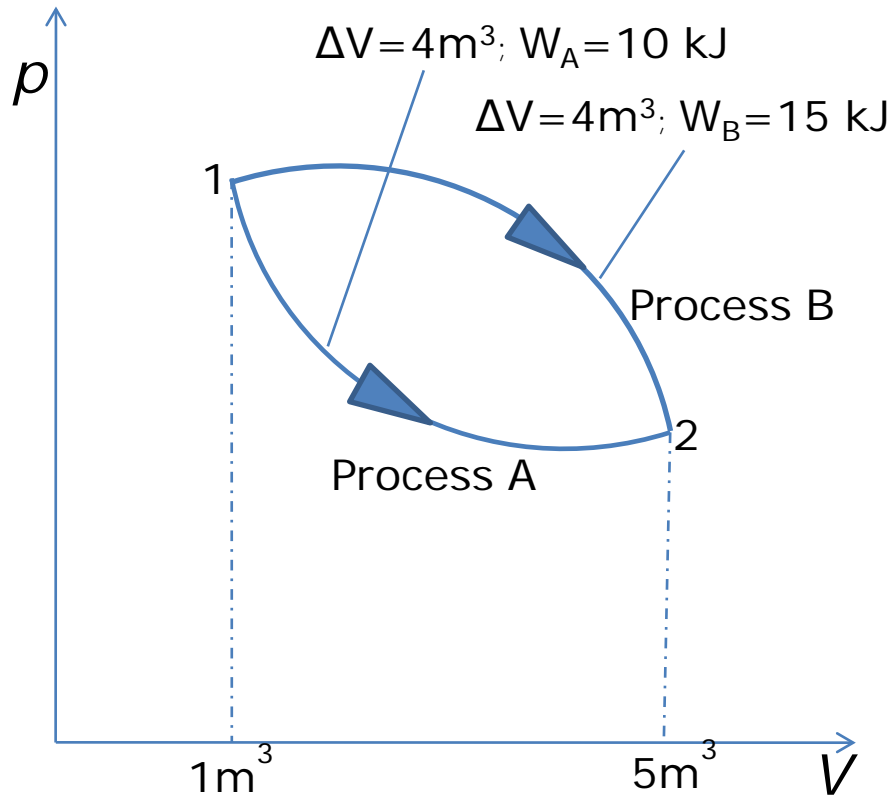
# Energy transfer by heat and work

- Both heat and work are boundary phenomena.
- Systems possess energy, but not heat or work.
- Both are associated with a process, not a state. Unlike properties, heat or work has no meaning at a state.
- Both are **path functions** (i.e., their magnitudes depend on the path followed during a process as well as the end states).

## Path and Point functions

- Path functions
  - Have inexact differentials, sometimes designated by symbol,  $\delta$  or  $d$
  - Eg.  $\delta Q$  or  $dQ$  and  $\delta W$  or  $dW$  instead of  $dQ$  and  $dW$
- Point functions
  - Have exact differentials, designated by symbol,  $d$
  - Eg.  $dP$ ,  $dV$ ,  $dT$

### Path and Point functions



$$\int_1^2 dV = V_2 - V_1 \text{ but, } \int_1^2 \delta W \neq W_2 - W_1$$

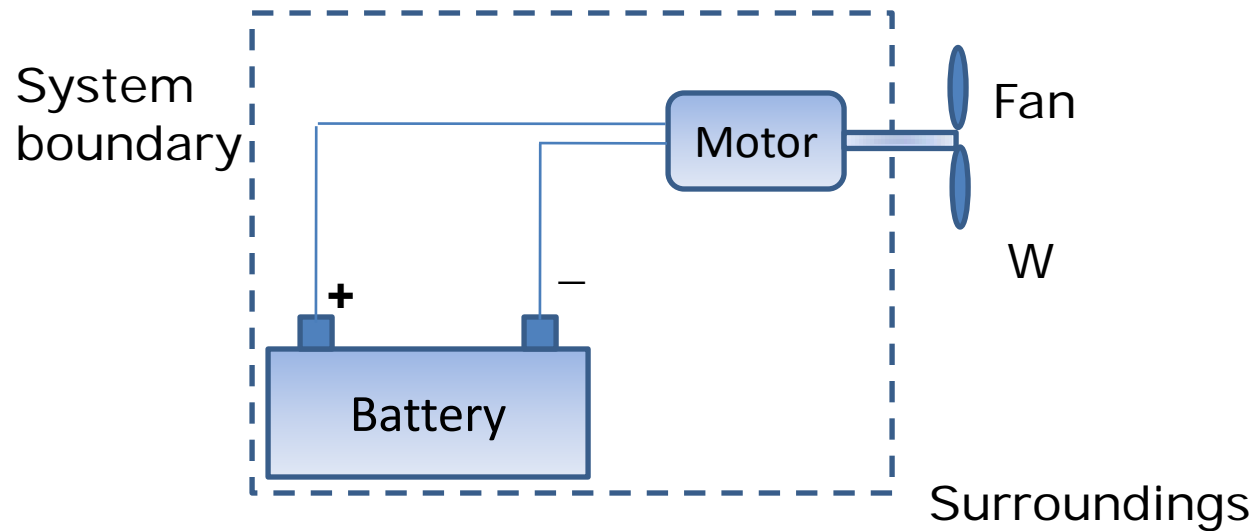
$\oint$  of a property is zero

Properties are point functions; but heat and work are path functions.

## Work

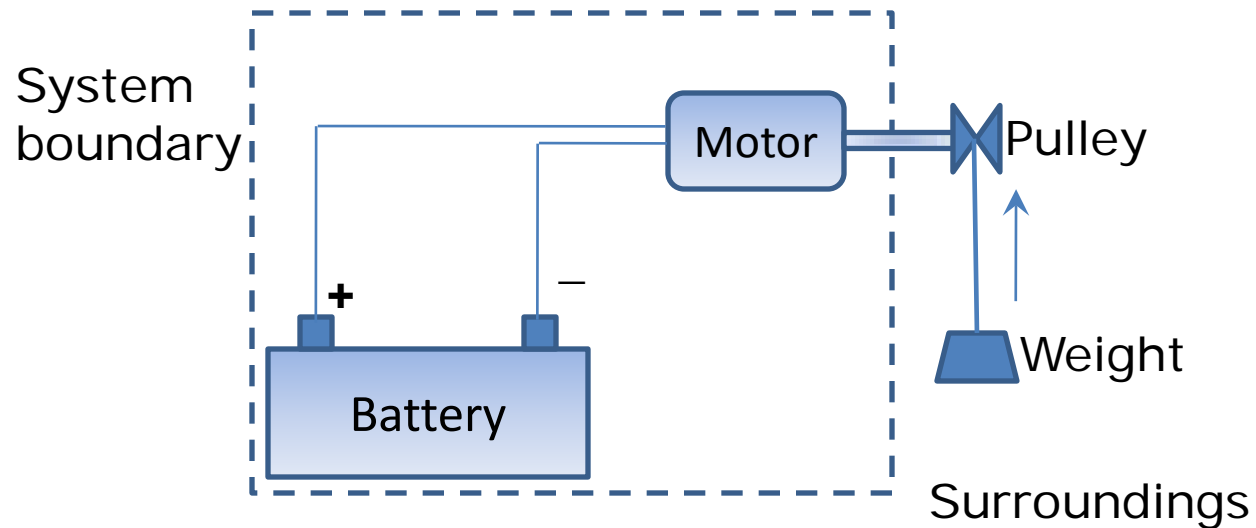
- Work done by a system on its surroundings during a process is defined as that interaction whose sole effect external to the system could be viewed as the raising of a mass through a distance against gravity.

# Work





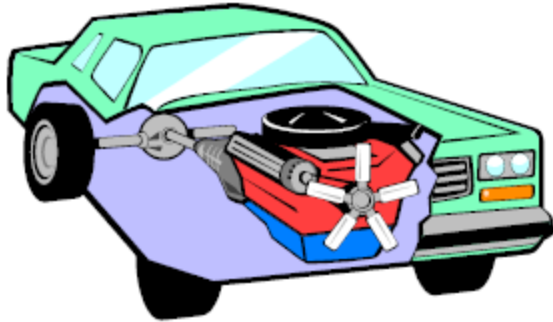
# Work



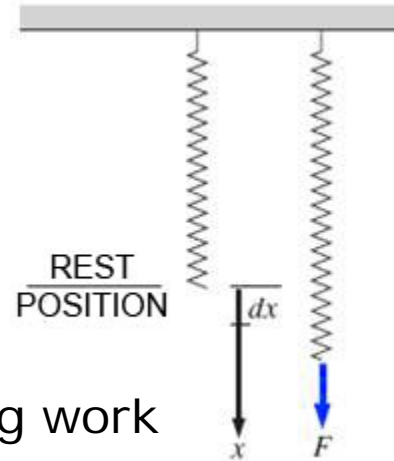
## Work

- Examples:
- PdV: displacement work
- Electrical work: heating of a resistor
- Shaft work: rotation of a shaft
- Paddle wheel work
- Spring work
- Stretching of a liquid film

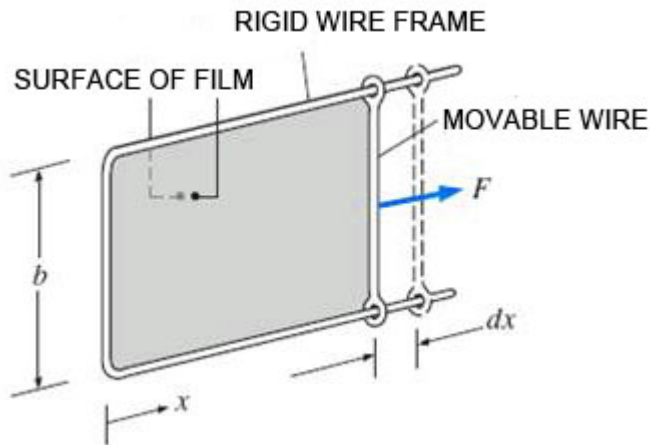
### Work



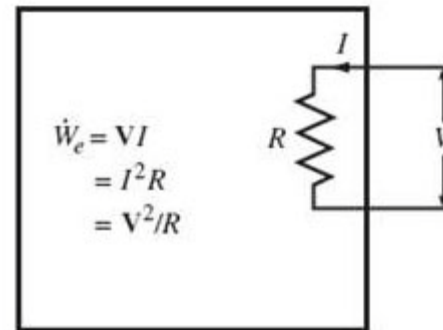
Shaft work: rotation of a shaft



Spring work



Stretching of a liquid film



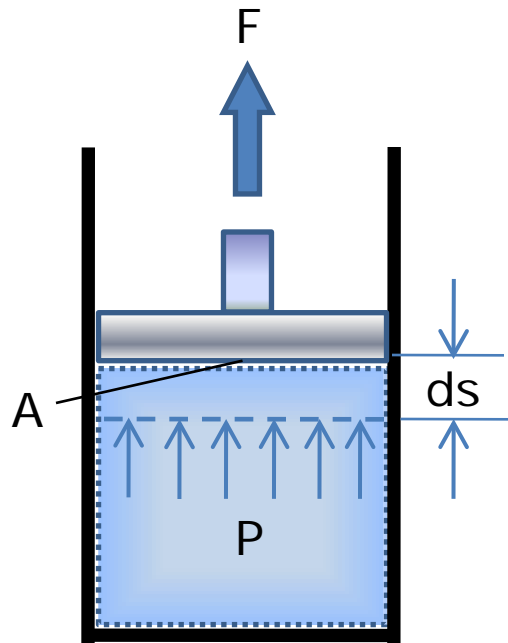
$$\begin{aligned}\dot{W}_e &= VI \\ &= I^2 R \\ &= V^2 / R\end{aligned}$$

Electrical work: heating of a resistor

## Displacement work

- Moving boundary or displacement work is of significant interest to engineers.
- Many engineering systems generate useful work output by this mode.
- Examples: automobile engines, steam engines, pumps etc.

### Displacement work

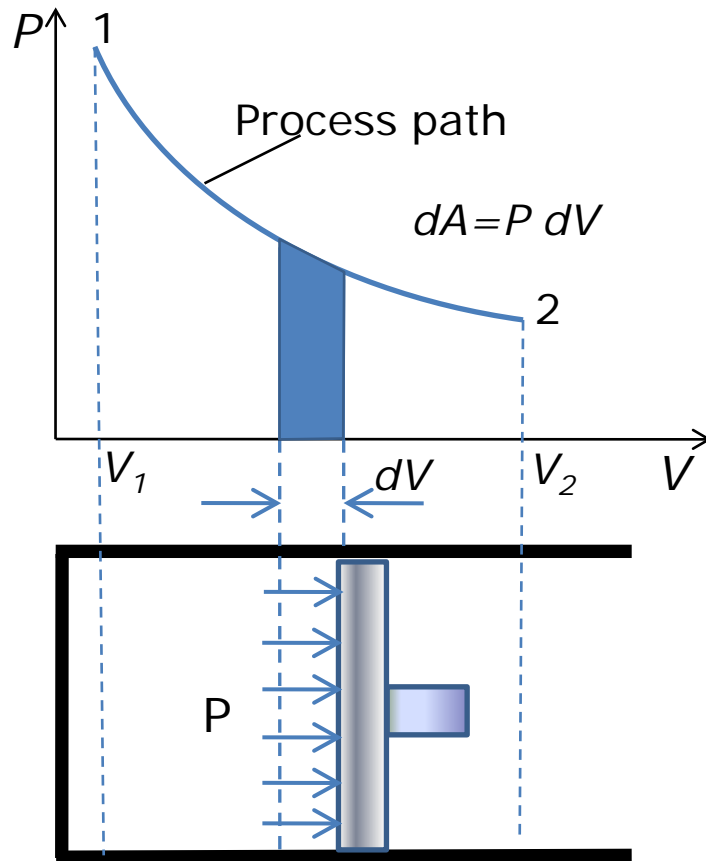


A gas does a differential amount of work  $\delta W_b$  as it forces the piston to move by a differential amount  $ds$

$$\delta W_b = F ds = PA ds = P dV$$

$$W_b = \int_1^2 P dV \quad (kJ)$$

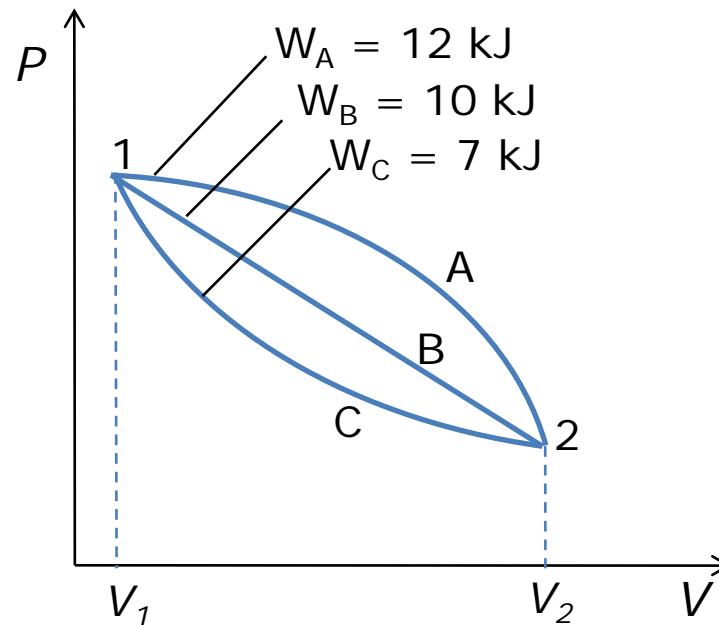
## Displacement work



$$Area = A = \int_1^2 dA = \int_1^2 P dV$$

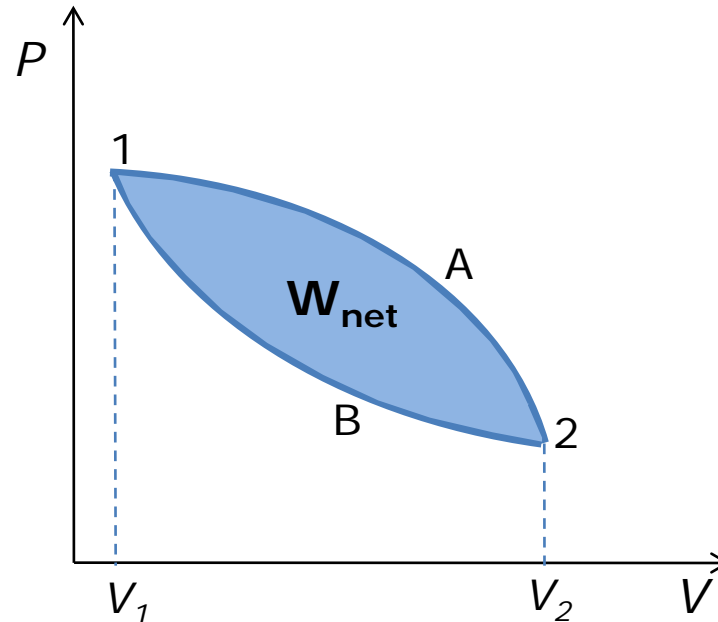
The area under the process curve on a P-V diagram is equal, in magnitude, to the work done during a quasi-equilibrium expansion or compression process of a closed system.

# Displacement work



The boundary work done during a process depends on the path followed as well as the end states.

# Displacement work



The net work done during a cycle is the difference between the work done by the system and the work done on the system.



## Displacement work

- Displacement work during Various processes:

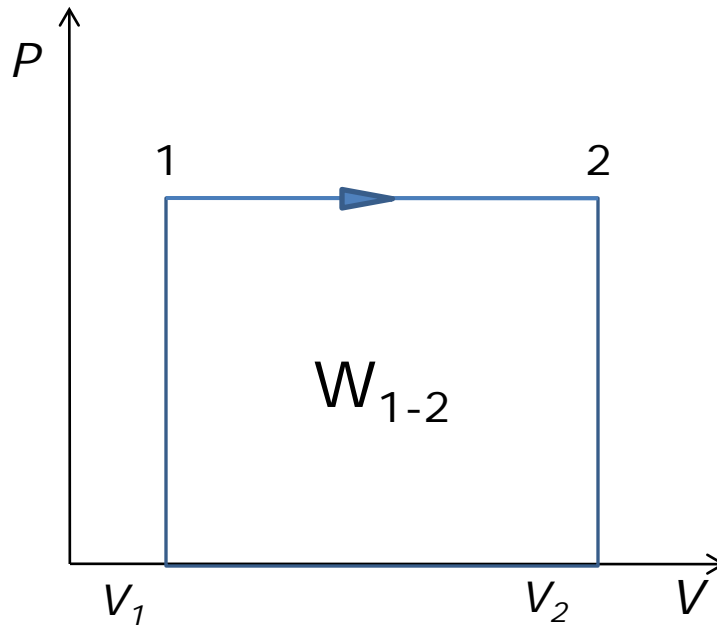
Constant pressure process

Constant volume process

$PV = \text{constant}$

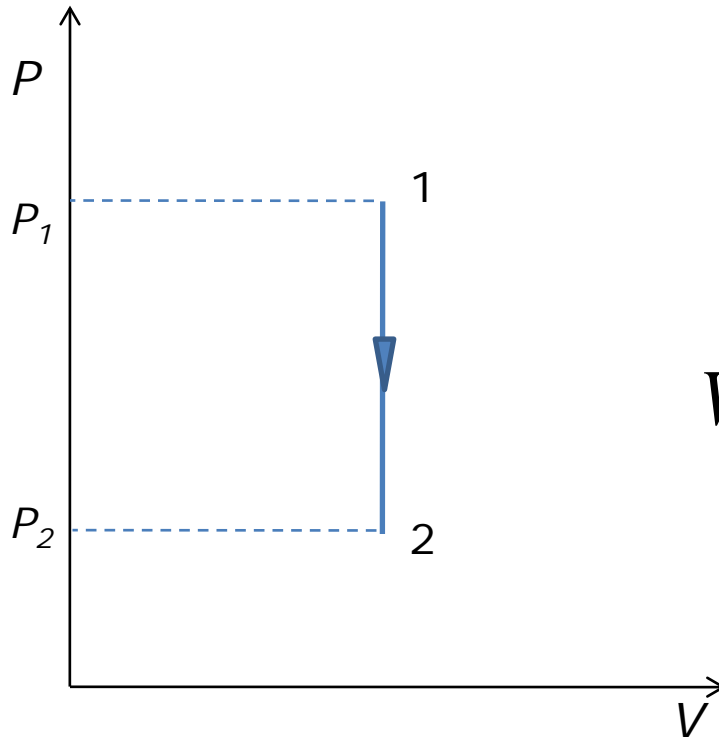
Polytropic process,  $PV^n = \text{constant}$

# Constant pressure process



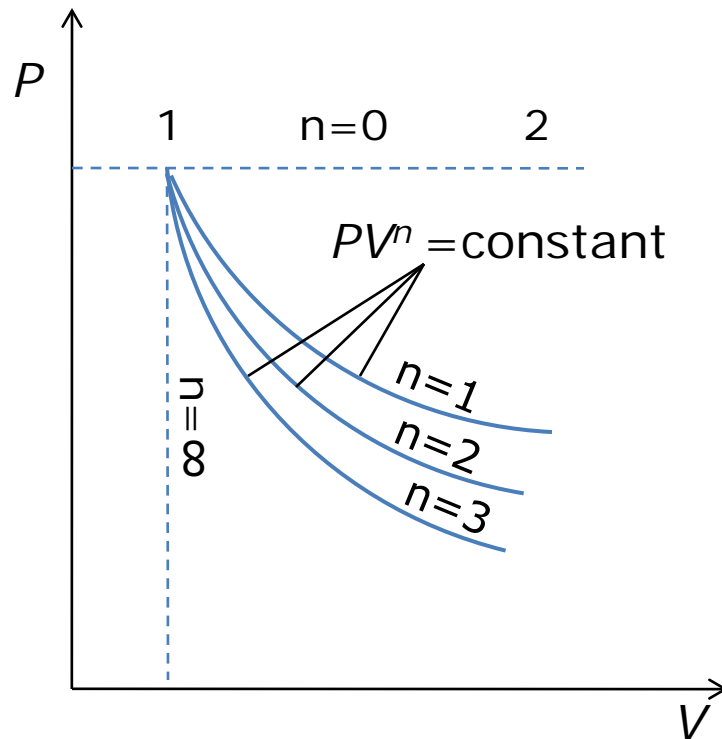
$$W_{1-2} = \int_{V_1}^{V_2} p dV = p(V_2 - V_1)$$

# Constant volume process



$$W_{1-2} = \int_{V_1}^{V_2} p dV = p(V_2 - V_1) = 0$$

### $PV^n = \text{constant}$ (Polytropic processes)



$$W_{1-2} = \int_1^2 P dV = \int_1^2 C V^{-n} dV$$

$$(\because PV^n = C)$$

$$\text{Now, } P_1 V_1^n = P_2 V_2^n = C$$

$$W_{1-2} = C \frac{V_2^{-n+1} - V_1^{-n+1}}{-n+1} = \frac{P_2 V_2 - P_1 V_1}{1-n}$$

## Recap of this lecture

- Specific heat
  - At constant pressure and constant volume
- Heat transfer
  - Meaning of heat transfer
  - Types of heat transfer
- Work
  - Thermodynamic meaning of work
  - Different types of work

## In the next lecture ...

- Solve problems related to calculation of
  - Work done (displacement work)